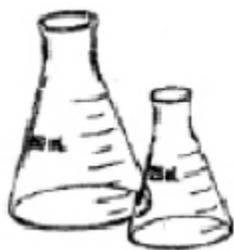


a. beakers



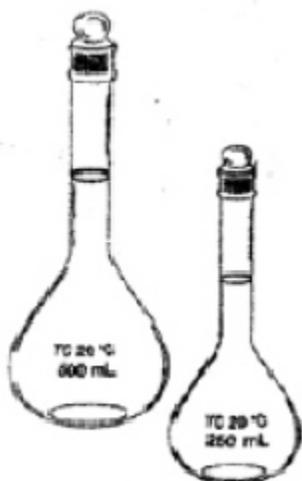
b. Erlenmeyer flasks



c. conical filter



d. crucible



e. volumetric flasks



f. buret



g. transfer pipet



h. graduated cylinder



i. spatula



j. tongs



k. side-arm flask
(filtering/drying)

2. Data Treatment/Calculations:

Many scientific investigations require measurements and calculations. All measurements contain a certain amount of error or uncertainty. For example, the mass of an object weighed on a top-loading balance may be recorded as 2.47 grams. The uncertainty in the mass of the object is ± 0.01 grams. In other words, the real mass of the object lies in the range of 2.47 - 2.48 grams. Error in a measurement can be identified as either **determinate error** or **indeterminate error**. Determinate error is an error that can be identified and corrected. An example would be an analytical balance that is not calibrated correctly and always reports the mass as 0.02 grams greater than the real mass. This error can be identified through careful observation and corrected. Indeterminate error typically results from the limitations of your equipment and can not be corrected. An example would be the ± 0.01 grams uncertainty in the top-loading balance. Data obtained by measurement or calculation can be evaluated in terms of its **accuracy** and **precision**. Accuracy refers to the agreement between a measured or calculated value and a known or true value, while precision refers to the agreement between a replicate set of measurements.

Consider two students who were measuring the mass of a solid object using two different analytical balances. Each student weighed the object three times and recorded their results, which are provided below:

Student 1:	2.473 g	2.462 g	2.455 g
Student 2:	2.387 g	2.592 g	2.668 g

a. Calculate the average mass obtained from the data of each student.

Student 1: _____

Student 2: _____

b. Which set of data is more precise? Explain.

c. If the true mass of the object was 2.547 g, which result is more accurate? Explain.

d. Go back to the items you listed in part 1(a) for measuring liquids. Which item(s) would yield greater precision? Which would yield the least precision?

3. Graphing of Data:

A pictorial diagram or display of data is called a graph. Graphs are useful when exploring the relationships between data and/or experimental variables. When graphing data, the **independent variable** is plotted on the x-axis (or abscissa), while the **dependent variable** is plotted on the y-axis (or ordinate). Consider, for example, a graph which displays average daily temperature over the course of a six month period. The independent variable would be the date (since it is “independent” of temperature), while the dependent variable would be the average daily temperature (because it “depends” on the date).

In a typical experiment, the vapor pressure of a liquid was measured at several temperatures. The data are summarized below.

<u>Temperature (K):</u>	263	273	283	293	303	313
<u>Vap. Pres. (torr):</u>	80.1	133.6	213.3	329.3	495.4	724.4

a. If you were to graph this data, which variable would be the independent variable and which the dependent variable?

b. Plot the data appropriately using the graph paper supplied.

c. Fill in the table below by calculating the corresponding value of $1/T$ for each temperature and the $\log(P)$ for each vapor pressure.

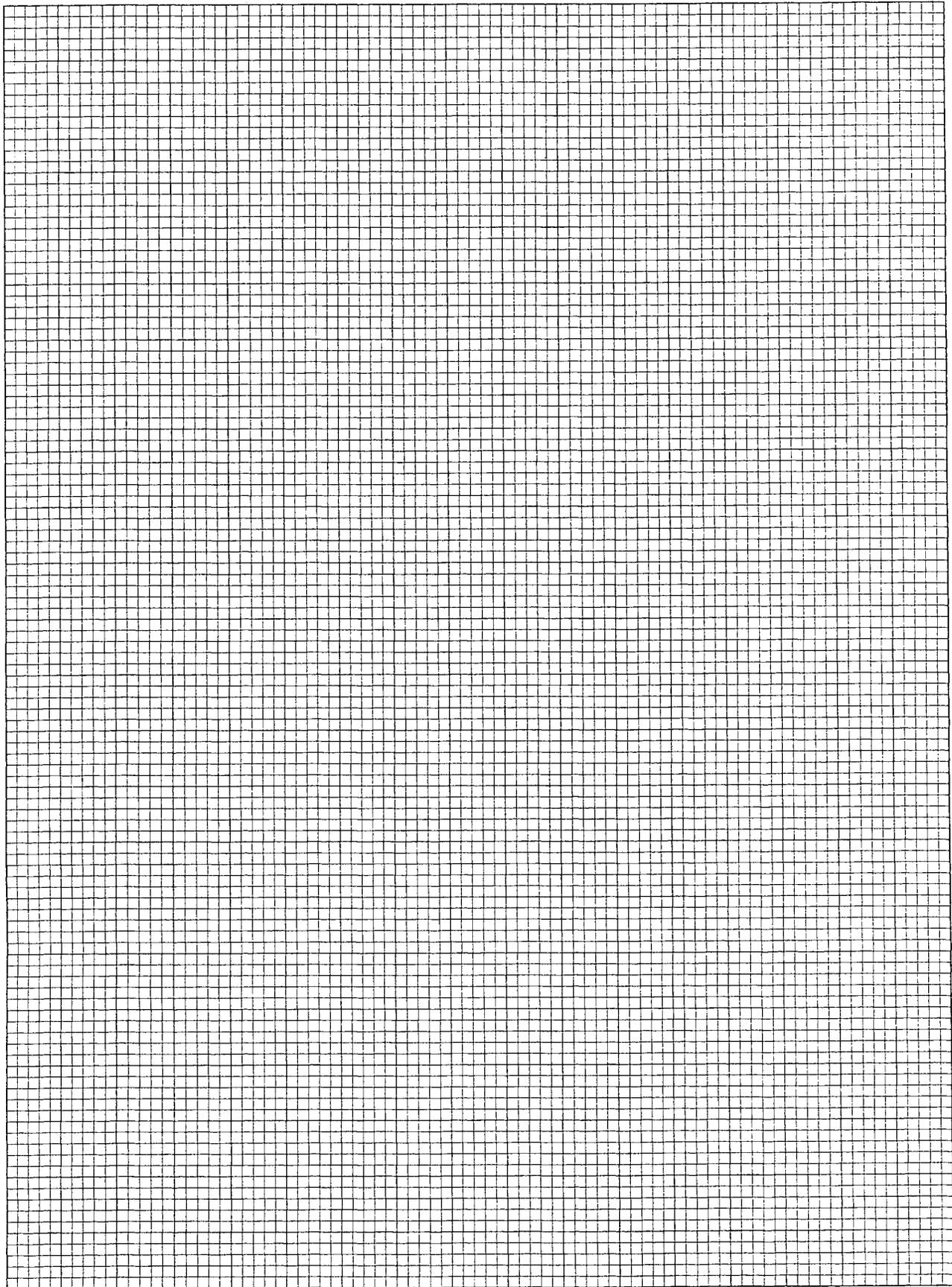
<u>Temperature (K)</u>	<u>1/T</u>	<u>Vapor pressure (P, in torr)</u>	<u>log (P)</u>
263	_____	80.1	_____
273	_____	133.6	_____
283	_____	213.3	_____
293	_____	329.3	_____
303	_____	495.4	_____
313	_____	724.4	_____

d. Using the calculated data from the table, graph $\log(P)$ vs $1/T$.

e. What is the difference between the two graphs?

f. If you wanted to estimate the vapor pressure of the liquid at a different temperature (e.g., 253 K or 298 K) which graph would provide a more accurate result? Why?

Name _____ Section _____ Date _____



Name _____ Section _____ Date _____

